

Design decision and technology readiness assessment for aircraft electrical power systems

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Outline





Architecting Technological Systems



Technology and Requirement Space

Requirement Space

- How can we identify reuirements where viable products can be produced?
- Considering both market and available technology



What are the paths that guide designers?





The Concept Of Technology Criticality $p = f_p(\mathbf{x}, \boldsymbol{\zeta})$ $c = f_c(\mathbf{x}, \boldsymbol{\zeta})$

- 1. Improvement in the technology, ς . should have a strong effect on system performance, p
- The change on a design parameter, x, would have a low sensitivity on performance combining with a significant sensitivity on cost, c, from x.



The cost benefit factor
 κ_i of a design parameter is now defined as:

$$\kappa_{i} = \frac{k_{0,p,i}}{k_{0,c,i}} = \left(\frac{x_{i}}{p} \frac{\partial p}{\partial x_{i}}\right) \left(\frac{x_{i}}{c} \frac{\partial c}{\partial x_{i}}\right)^{-1} = \frac{c}{p} \left(\frac{\partial p}{\partial x_{i}}\right) \left(\frac{\partial c}{\partial x_{i}}\right)^{-1}$$

- I.e. Sensitivity of performance to design parameter, divided with sensitivity of cost to the same design parameter
- A working definition used for criticality of a technology is if the sum of all (n) :

$$\kappa = \sum_{i=1}^{n} \kappa_i < 1$$

- κ is here called the **Criticality Factor**.
- If κ is larger than 2, we are in the *Technology Comfort Zone*



Range Equation for Battery Powered Aircraft

 $R = \left(\frac{\eta c_b}{g}\right) \left(\frac{L}{D}\right) \frac{W_b}{W_0}$

 c_b :Battery energy density (J/kg)(Battery specific energy J/kg or J/N=Nm/N=m200 Wh/kg state-of-the-art li-poly corresponds to 73000 m) η :Propeller efficiency (range of 0.83-0.9)L/D :Lift over drag (range 7-22) W_f/W_0 :Fuel fraction, typically 0.2-0.5

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li-poly 73000 m)

Example

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\eta :0.9
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L / *D* :20

 $W_{f} / W_{0} : 1$

 $R = 0.9 \times 73000 \times 20 \times 1 = 1310 \times 10^3 \text{ m} = 1310 \text{ km}$

Technology Criticality in Battery Powered Aircraft

Technology sensitivity

 $c_W = W_{pay} + W_s + W_b$

$$k_{0,\zeta} = \frac{c_{b,}}{R} \frac{\partial R}{\partial c_b} = \frac{c_b}{R} \frac{\partial}{\partial c_b} \left(\eta \frac{c_b}{g} \left(\frac{L}{D} \right) \frac{W_b}{W_b + W_{pay} + W_e} \right) = 1$$

Cost (assumed to be related to weight)

Range

$$R = \eta \frac{c_b}{g} \left(\frac{L}{D}\right) \frac{W_b}{W_b + W_{pay} + W_c}$$

Introduce as design parameter

$$\Psi = \frac{W_b}{W_{pay} + W_s} \qquad \qquad R = \eta \frac{c_b}{g} \left(\frac{L}{D}\right) \frac{\Psi}{1 + \Psi}$$



The criticality of battery technology for electric aircraft



Figure 1. Range as a function of non-dimensional battery weight.



Conclusion

- 1. According to the Technology Comfort Zone, a larger range is not impossible to achieve, but the cost benefit becomes poor.
- 2. It would require that special emphasis has to be put on weight reduction and aerodynamic design, using more extreme electric technologies, and a very high portion of the aircraft weight would be taken up by the battery.
- 3. Staying within the Technology Comfort Zone means that readily available, mature, relatively inexpensive technologies off the shelf, can be used.
- 4. Although the range is independent of size, the endurance is not. A small aircraft will generally fly slower, and the endurance will thus increase simply because of the speed is lower.

Tak! Thanks! Obrigada!

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