

New Perspectives on Digital Hydraulics for Aerospace Applications

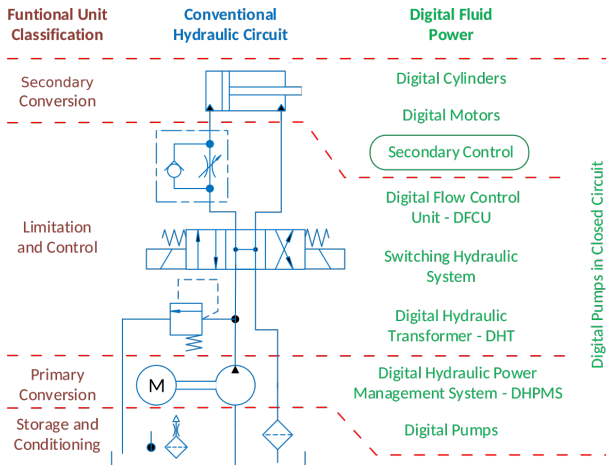
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Outline

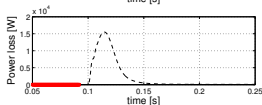
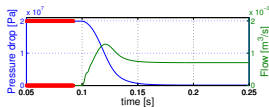
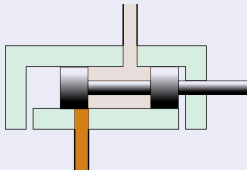
- 1 Introduction
 - Energy aspects in aircraft's control surfaces
- 2 Primary Conversion
- 3 Secondary Conversion and Control
- 4 A Control Strategy
- 5 Numeric Example

Hydraulic functional units

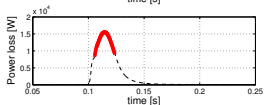
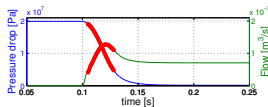
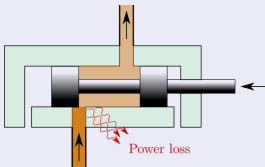


Power loss

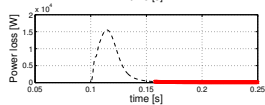
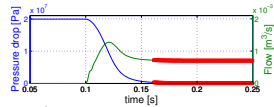
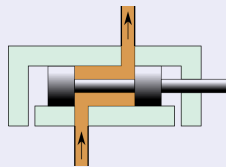
Valve closed



Valve half open



Valve open

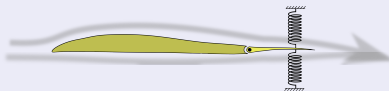


$$\text{Power} = \Delta p \times Q$$

$$\text{Energy} = \int_{t_0}^{t_1} (\text{Power}) dt$$

Energy aspects in aircraft's control surfaces

Reaction force as a spring

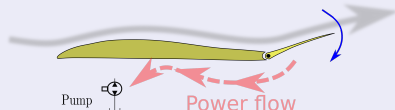


Power flow



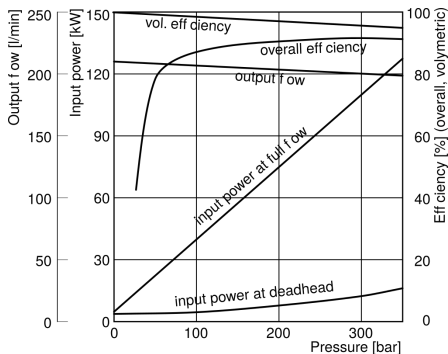
- Control surface moves away from its neutral position: **energy** is transferred to the control surface

- Control surface moves back to its neutral position: **energy** is transferred back to the system

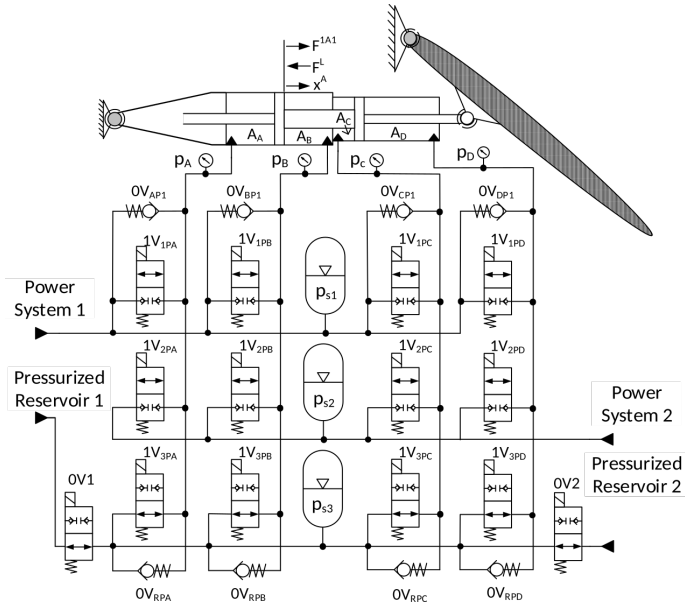


Primary conversion

- For a general military aircraft
 - ▶ 2 hydraulic circuits powered by variable displacement pumps;
 - ▶ 1 fixed displacement pump driven by Auxiliary Power Unit for safety and uses without the engine;
 - ▶ 1 fixed displacement pump driven by thermal battery used as emergency pump.
- In a steady state flight, there is low flow in the hydraulic system;
- Previous research shows that using one of the backup pumps can save up to 20% of the energy with few modifications in the hydraulic circuit.

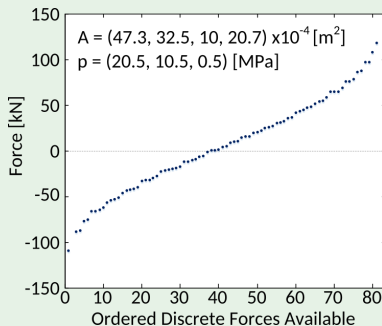
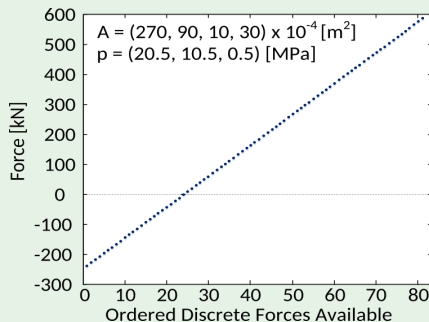


Secondary conversion and control



Secondary Conversion and Control

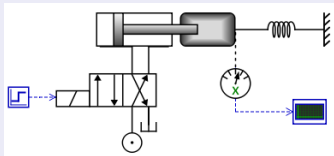
How to design pressures and cylinder areas?



Forces in digital hydraulics is a discrete set!

- N^M possible forces
 - ▶ N is the number of pressures
 - ▶ M is the number of areas

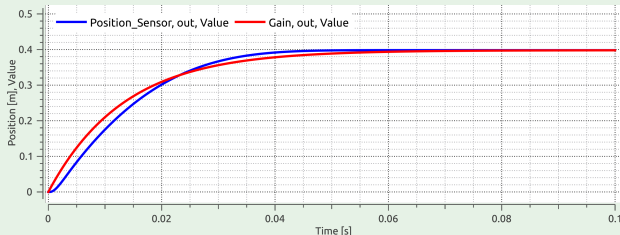
A control strategy – nonlinearity in hydraulics



$$\ddot{x} = -\frac{k}{m}x - \frac{b}{m}\dot{x} + \frac{1}{m}(A_A p_A - A_B p_B)$$

$$\dot{p}_A = \frac{\beta}{v_{A0} + A_A x} \left(C_d \cdot A \cdot \text{sgn}(p_s - p_A) \cdot \sqrt{\frac{2}{\rho} |p_s - p_A|} - A_A \dot{x} \right)$$

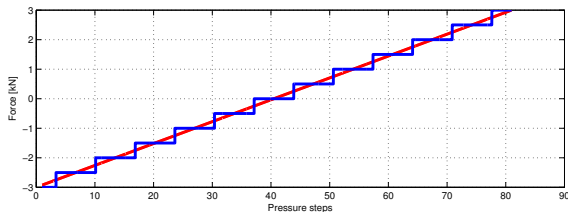
$$\dot{p}_B = \frac{\beta}{v_{B0} + A_B (L - x)} \left(C_d \cdot A \cdot \text{sgn}(p_t - p_B) \cdot \sqrt{\frac{2}{\rho} |p_t - p_B|} + A_B \dot{x} \right)$$



$$\ddot{x} = -kx - b\dot{x} + A_A p_s(t - d) - A_B p_t(t - d) \quad (\text{for 2 chambers})$$

A control strategy – quantization

Discrete / continuous set



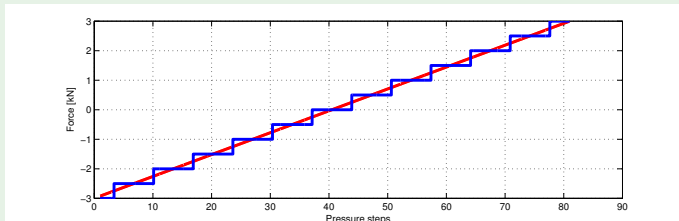
Overcome discretization error

$$\ddot{x} = -\frac{k}{m}x - \frac{b}{m}\dot{x} + \frac{1}{m}u(t-d)$$

where $u(t) = A_A p_A - A_B p_B + A_C p_C - A_D p_D$ (for 4 chambers)

A control strategy – quantization

Discrete / continuous set



Overcome discretization error

$$\ddot{x} = -\frac{k}{m}x - \frac{b}{m}\dot{x} + \frac{1}{m}q(u(t-d))$$

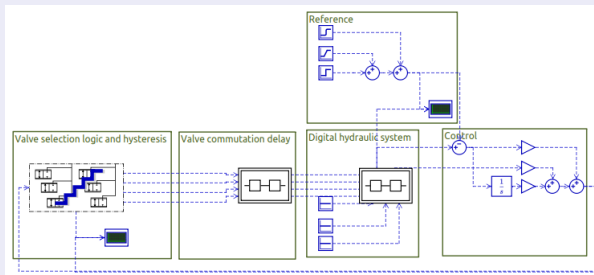
where $u(t) = A_A p_A - A_B p_B + A_C p_C - A_D p_D$ (for 4 chambers)

$q(\cdot)$ is a quantization function

Define $w(t-d)$ as the quantization error: $w(t-d) = q(u(t-d)) - u(t-d)$

Numeric example

Hopsan Model

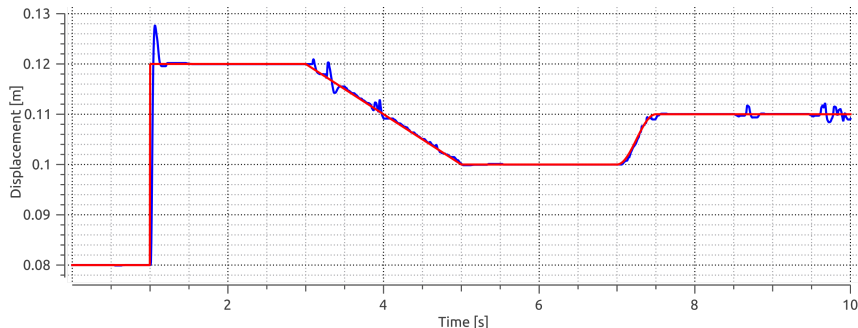


$$\dot{x}(t) = Ax(t) + Bu(t-d) + Bw(t-d)$$

$$\text{where } A = \begin{bmatrix} 0 & 1 & 0 \\ \frac{-k}{m} & \frac{-b}{m} & 0 \\ 1 & 0 & 0 \end{bmatrix} \quad \text{and} \quad B = \begin{bmatrix} 0 \\ \frac{1}{m} \\ 0 \end{bmatrix}$$

Solution based on [Emilia Fridman, Michel Dambrine "Control under quantization, saturation and delay: An LMI approach"]

Simulation results – Tracking



The simulation also includes:

- Valves dynamics and cylinder modeling;
- External disturbances;
- Viscous, static and kinematic friction.

Advantages, Future work and Conclusions

- Advantages:

- ▶ Increase **efficiency** as large as 80% in control (Belan, et al., 2016);
- ▶ Enable **energy** recovering from one pressure line to another;
- ▶ Is intrinsically **redundant**.

- Future work:

- ▶ Faster valves increase **energy** efficiency and enable better control;
- ▶ Better **theory** and strategies on switched control;
- ▶ Safety analysis for redundancy and fault monitoring (diagnostics).
Then the full impact on weight and energy savings can be analysed;

- Conclusions:

- ▶ Control and design is more **complex**. Lower cost processors allow also complex control, diagnostic, reconfiguration and adaptation.



Proportional valve is the **rheostat** of power electronics,
as **digital hydraulics** is the nowadays **power converters**.

Thank you

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